Design of a hyper-numerical-aperture deep ultraviolet lithography objective with freeform surfaces

Shanshan Mao (毛姗姗), Yanqiu Li (李艳秋)*, Jiahua Jiang (姜家华), Shihuan Shen (沈诗欢), Ke Liu (刘 克), and Meng Zheng (郑 猛)

Key Laboratory of Photoelectron Imaging Technology and System of the Ministry of Education, School of Optics and Photonics, Beijing Institute of Technology, Beijing 100081, China

 $* Corresponding \ author: \ liyanqiu@bit.edu.cn$

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We have proposed and developed a design method of a freeform surfaces (FFSs) based hyper-numerical-aperture deep ultraviolet (DUV) projection objective (PO) with low aberration. With an aspheric initial configuration, lens-form parameters were used to determine the best position to remove elements and insert FFSs. The designed FFSs PO reduced two elements without increasing the total thickness of the glass materials. Compared with aspheric initial configuration, the wavefront error of the FFSs PO decreased from 0.006λ to 0.005λ , the distortion reduced from 1 to 0.5 nm, and the aspheric departure decreased from 1.7 to 1.35 mm. The results show that the design method of the FFSs PO is efficient and has improved the imaging performance of PO. The design method of FFSs PO provides potential solutions for DUV lithography with low aberrations at 10–5 nm nodes.

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The projection objective (PO) is a key component of deep ultraviolet (DUV) lithography tools^[1,2]. For 22-14 nm technology nodes, a hyper-numerical-aperture (NA) PO adopts aspheric surfaces $(ASPSs)^{[3]}$. When the resolution is decreased to 10-5 nm nodes, a stricter wavefront error (root mean square, RMS < 1 nm) is required^[4]. Aspheric PO needs to use numerous lenses to correct aberrations, and it increases the dimension and total track of the design significantly. Adopting freeform surfaces (FFSs) in a lens system is a potential means to enhance performance and achieve a compact lens design. In an objective with a given number of elements, using FFSs can further increase the image NA or exposure field, so an FFSs PO has the potential to achieve higher resolution [5,6]. These advantages of FFSs are highly useful for off-axis head-mounted display imaging systems to enlarge the field of view and decrease the F-number or for on-axis imaging applications with high aspect ratios to provide solutions with a clearly better overall imaging performance^[7–9]. Therefore, it is necessary to investigate and explore a novel design of FFSs hyper-NA PO to meet the requirements of the next node DUV lithography.

An FFSs catadioptric PO for lithography with NA 0.8 was designed by $Mann^{[10]}$. However, he did not describe the specific design methods of the FFSs PO, and whether the designed PO has the potential to meet lithography requirements is unknown. In terms of optical system evaluation parameters, Sasian and Descour proposed two lens-form parameters (*S* and *W*) to design an NA 0.38 spherical PO; the two parameters quantify the symmetry of the objective and the optical power distribution among the individual optical elements^[11]. With these two parameters as criteria, Cheng *et al.* established a mechanism for automatically identifying addition and deletion

elements during optimization^[12]. Sasian and Cheng have designed spherical POs with small NAs, which cannot meet the requirements of current and subsequent nodes. Therefore an FFSs hyper-NA PO needs to be explored to meet 10–5 nm technology nodes. However, few design methods for the FFSs PO with a hyper-NA have been proposed in the past, so it has been a challenge to design an FFSs PO that has low aberration, while maintaining a hyper-NA with a compact structure.

In this Letter, we investigate and utilize lens-form parameters to design an FFSs hyper-NA PO. The lensform parameters (S and W) are used to determine the best position to remove elements and insert FFSs. Design efficiency was greatly improved when this approach was used compared with the traditional experience and the trialand-error method. Combining with a gradual optimization strategy, an NA 1.2 FFSs PO with low aberration and distortion was designed. The designed FFSs PO reduced two elements without increasing the total thickness of the glass materials. Compared with aspheric initial configuration, the wavefront RMS error of the FFSs PO decreased from 0.006λ to 0.005λ . The design results proved the effectiveness of the proposed method. The multi-patterning methods and multiple mask-split/ multi-exposure/etch sequences were used in ASML's TWINSCAN NXT: 1970 Ci lithography tool with variable NAs (0.85-1.35) to support a sub 20 nm node^[13]. The designed 1.2 NA FFSs PO with these resolution enhancement technologies provides valuable support for 10-5 nm technology nodes.

The Letter is organized as follows: (1) the lens-form parameters (S and W) and the gradual optimization strategy are defined and illustrated in the design process. (2) An aspheric initial configuration satisfying the basic requirements of the lithography objective was selected and optimized to achieve high (diffraction limited) image quality. (3) The lens-form parameters (S and W) were used to determine the best position to remove elements, and the saddle point construction method was used to perform the removal process. (4) After element deletion, when image quality degradation was unacceptable, FFSs were inserted to the obtained system to improve imaging performance. The positions of the inserted FFSs were determined by the same method based on lens-form parameters.

The two lens-form parameters (S and W) quantify the symmetry of the optical system and the optical power distribution among individual elements, so they can be used to determine the most appropriate position to remove elements and insert FFSs. According to paraxial marginal and chief ray tracing, the lens-form parameters are independent of lens dimension, aperture size, field angle, or surface shape^[11].

The first parameter is optical power parameter W. It evaluates the distribution of optical power and is derived from the square root of the averaged and squared weighted refracted powers, w_j , of the lens surfaces:

$$W = \left(\frac{1}{N} \sum_{j=1}^{j=N} w_j^2\right)^{1/2},$$
 (1)

where N is the total number of surfaces. w_j is the weighted refractive power of surface j, the expression of which is described below:

$$w_j = -\frac{1}{1-t} \frac{y_j}{n'u'_N} \frac{n'_j - n_j}{R_j},$$
(2)

where t is the magnification of the entire system; y_j is the marginal paraxial ray height on surface j; n'u'N is the product of the index of refraction and marginal paraxial ray slope in image space; n_j and n'_j are the indices of refraction before and after the *j*th surface, respectively; and R_j is the surface radius.

The second parameter is symmetric degree parameter S. It evaluates the symmetric degree of the objective surfaces, and it is the extent to which surfaces are concentric to the stop or satisfy the aplanatic condition. The equation is

$$S = \left(\frac{1}{N} \sum_{j=1}^{j=N} s_j^2\right)^{1/2},$$
 (3)

where s_i is written as

$$s_j = \frac{1}{1-t} \frac{1}{\overline{A}_{\text{stop}}(n'u'_N)} \overline{A}_j \left(\frac{u'_j}{n'_j} - \frac{u_j}{n_j}\right). \tag{4}$$

In the expression above, \overline{A}_j is the product of refractive index n_j and the paraxial chief ray angle of incidence \overline{i}_j on surface j; \overline{A}_{stop} is the value of \overline{A}_j at the stop surface; and u_j and u'_j are the paraxial marginal ray slope before and after surface j, respectively.

According to the definition of w_i ,

$$\sum_{j=1}^{j=N} w_j = 1.$$
 (5)

The result shows that a surface with a large w_j contributes much to the total optical power of the system. When the values of w_j are equal, W is minimized. Every optical surface contributes equally to the lens power. It has demonstrated that objectives with small values of W and S have a large imaging potential^[1].

 w_j (s_j) contains the lens-form parameters of a surface. The lens-form parameter of an element is defined as $\Delta w_j = w_j + w_{j+1}$ ($\Delta s_j = s_j + s_{j+1}$). An element with small Δw_j and Δs_j values contributes little to the total optical power and symmetry of the objective. When the element is removed, image quality is not seriously damaged. When a new surface or element is inserted at the surface with the largest w_j or s_j it would take up some stress optical power concentrated in the area or improve the symmetry of the system. This results in improved performance of the objective. The usage is illustrated in Table <u>1</u>.

As revealed by the example in Fig. <u>1</u>, an aspheric PO with NA 1.2 consists of 25 optical elements^[14]. The value of W was 0.1479, and the value of S was 0.4458. The optical characteristics are shown in Table 2.

To evaluate the aberration correction potential of the aspheric PO with reduced lenses, we removed elements from the aspheric PO in Fig. <u>1</u>. Thus, the lens with the smallest Δw_i or Δs_i may be removed.

As shown in Fig. 2, the sixth element $(|\Delta w_6| = 0)$ is the most appropriate to delete. The saddle point construction

 Table 1. Lens-form Parameter Values of Aspheric

 Surfaces

Surface No.	w_j	Surface No.	s_j
S30	0.3071	S30	0.9891
S20	0.2472	S20	0.9363
S19	0.1918	S1	0.5773
S15	0.1334	S15	0.4754
S23	0.1301	S17	0.3222
S38	0.0519	S41	0.3073
S17	0.0485	S19	0.2142
S1	0.0372	S4	0.2090
S6	0.0312	S23	0.1843
S4	0.0162	S6	0.1601
S41	0.0161	S31	0.1447
S33	0.0149	S38	0.1168
S31	0.0050	S33	0.0618



Fig. 1. Layout of the initial aspheric PO. The red dots represent aspheric surfaces.

 Table 2. Optical Characteristics of ASPSs and FFSs POs

Item	ASPSs PO	FFSs PO
Numerical aperture	1.2	1.2
Wavelength	193 nm	193 nm
Image-side field of view	$26~\mathrm{mm}\times5.5~\mathrm{mm}$	$26 \text{ mm} \times 5.5 \text{ mm}$
Magnification	0.25	0.25
Front working distance	$33 \mathrm{mm}$	$33 \mathrm{~mm}$
Total track length	$1253~\mathrm{mm}$	$1232~\mathrm{mm}$
Number of aspheric surfaces	13	9
Number of freeform surfaces		4
Number of lenses	25	23
Thickness of all lenses	$659 \mathrm{~mm}$	$631 \mathrm{~mm}$
Telecentricity	< 6 mrad	< 6 mrad
Max. aspheric departure	$< 1.7 \mathrm{~mm}$	${<}1.35~\mathrm{mm}$
Wavefront RMS error	<0.006λ	$< 0.005 \lambda$
Distortion	<1 nm	< 0.5 nm

method was used to remove the sixth lens^[15]. The obtained aspheric PO structure is shown in Fig. <u>3</u>. Its structure has not changed significantly, and the error function can converge to a small value. The wavefront RMS error is 0.01λ ($\lambda = 193$ nm), and the distortion is less than 1.5 nm, which means the system still presents a promising imaging performance. Therefore, additional elements can be removed.

The lens-form parameters of each element in the structure in Fig. <u>3</u> were evaluated again. The result shows the 13th and 1st elements provide small contribution to the total optical power; their $|\Delta w_j|$ values are 0.0329 and 0.0318, respectively. However, the first element plays an important role in keeping telecentricity at the mask side



Fig. 2. Lens-form parameters of a single element in a spheric PO: (a) $|\Delta w_j|$ value of a single element and (b) $|\Delta s_j|$ value of a single element.



Fig. 3. Aspheric PO structure after removing one element.

and should not be removed. Therefore, we removed the 13th element. However, the rear surface of the 13th element is an ASPS that undertakes correction of a large number of residual aberrations. To make up the aberration correction capability, an ASPS was added near the position of the removed 13th element.

After gradual optimization, the aspheric PO structure with two lenses removed is shown in Fig. <u>4</u>. The edge thicknesses of several positive lenses are very small and tend to become negative. Figure <u>5</u> shows the aspheric PO sampled fields and the footprint map. As shown in the footprint map in Fig. <u>5(b)</u>, vignetting is generated at the edge of field 7. The capability to correct aberrations is weakened because two elements were removed. To



Fig. 4. Aspheric PO structure after removing two elements.



Fig. 5. (a) Aspheric PO sampled fields and (b) footprint map.

compensate for the aberration correction capability, single lens surface power was strained. Optical power cannot be reasonably distributed under such strict structure constraints, which cause aspheric PO deformation and vignetting. Given that vignetting is not allowed in lithography, freedom degrees have to be increased to assure that all light originating at the mask reaches the wafer.

At this point, the system wavefront RMS error is 0.07λ ($\lambda = 193$ nm), and the distortion is 8.7 nm. The optical power parameter W is 0.1509, and the symmetry parameter S is 0.4170. The decreased symmetry parameter shows that the symmetry of the PO remains good; the increased optical power parameter indicates that a single lens optical power has not been effectively used.

The surface we used for the design purpose is the 10th even terms x-y polynomial-based surface. Sampled fields were shown in Fig. <u>6</u>, and 16 field points are selected in the first quadrant.

The position of the FFS affects the performance of the objective significantly. Even when the same number of FFSs is used, the effect of FFSs differs depending on their positions. The rays passing through the stress surfaces produce large deflections, and a large number



Fig. 6. FFSs PO sampled fields.

of high-order aberrations are generated on these surfaces. We added the FFSs at these positions to enhance the correction capability for high-order aberrations and alleviate the optical power strain.

To improve optimization efficiency, the positions for adding FFSs were selected from the existing aspheric positions. For the objective structure in Fig. <u>4</u>, the resulting contribution values are listed in descending order in Table <u>1</u>. ASPS 30 (largest value of w_j) was fitted to the FFS. After gradual optimization, the distortion value was reduced to 2.5 nm, whereas the wavefront RMS error was nearly unchanged. To reduce the aberrations, more FFSs were added continuously.

After evaluating lens-form parameters, two aspheric mirrors, S20 and S19, contribute the most to the optical power. However, the sensitivity of the mirror is two times that of the refractive one because of twice deflection. To make the PO stable, we fit the refractive ASPS S15 to a freeform one. Then, S20 and S19 were replaced by FFSs successively. Combining with a gradual optimization, a high-image-quality FFSs PO was achieved in Fig. 7. The optical characteristics of the FFSs PO are described in Table 2. The modulation transfer function (MTF) plot is shown in Fig. 8. Image resolution already reached the diffraction limit. The footprint map in Fig. 9 shows that the FFSs PO shows no vignetting. In Fig. 10(a), the wavefront RMS error is less than 0.005λ ($\lambda = 193$ nm). In Fig. 10(b), the distortion in the full image field is controlled to less than 0.5 nm. At the same time, the two lens-form parameters are reduced, the value of optical power parameter W is 0.1481, and the value of symmetry parameter S is 0.3971.



Fig. 7. PO structure with four FFSs.



Fig. 8. Modulation transfer function plot.



Fig. 9. FFSs PO footprint map.



Fig. 10. (a) Wavefront RMS error and (b) distortion in the full image field.

Compared with the TWINSCAN XT: 1700i lithography tool that ASML has manufactured, its PO has an NA 1.2 at 193 nm wavelength, and a 26 mm \times 33 mm scanning field. The wavefront RMS error is 1.4 nm, and the distortion is 5 nm^[16]. The designed hyper-NA FFSs PO has better wavefront error and distortion values than the above with the same NA, wavelength, and scanning field.

The manufacturability of the ASPSs and the FFSs, was evaluated. The maximum aspheric departure is 1.35 mm. The maximum local curvature of the FFSs in the X and Y directions is 0.0053, as shown in Fig. <u>11(d)</u>. Compared with the previous FFSs that were fabricated^[17], the FFSs in this PO possess proper local curvatures and gentle shapes. Therefore, we conclude that the surfaces in the FFSs PO are reasonable.

In conclusion, lens-form parameters and a gradual optimization strategy were used to design an FFSs hyper-NA PO. With the presented method, an NA 1.2 FFSs PO was designed. By adding four freeform surfaces at the positions determined by the lens-form parameters, two elements were removed from the PO. The wavefront RMS error reaches 0.005λ , and the distortion is less than 0.5 nm. The maximum aspheric departure is reduced from 1.7 to 1.35 mm. The results show that our method provides an effective approach to designing the FFSs PO and provides valuable support for 10–5 nm nodes.



Fig. 11. Local curvature of FFSs in the X and Y directions. Only the used area of each surface is shown. (a) S16; (b) S21; (c) S22; (d) S33.

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